



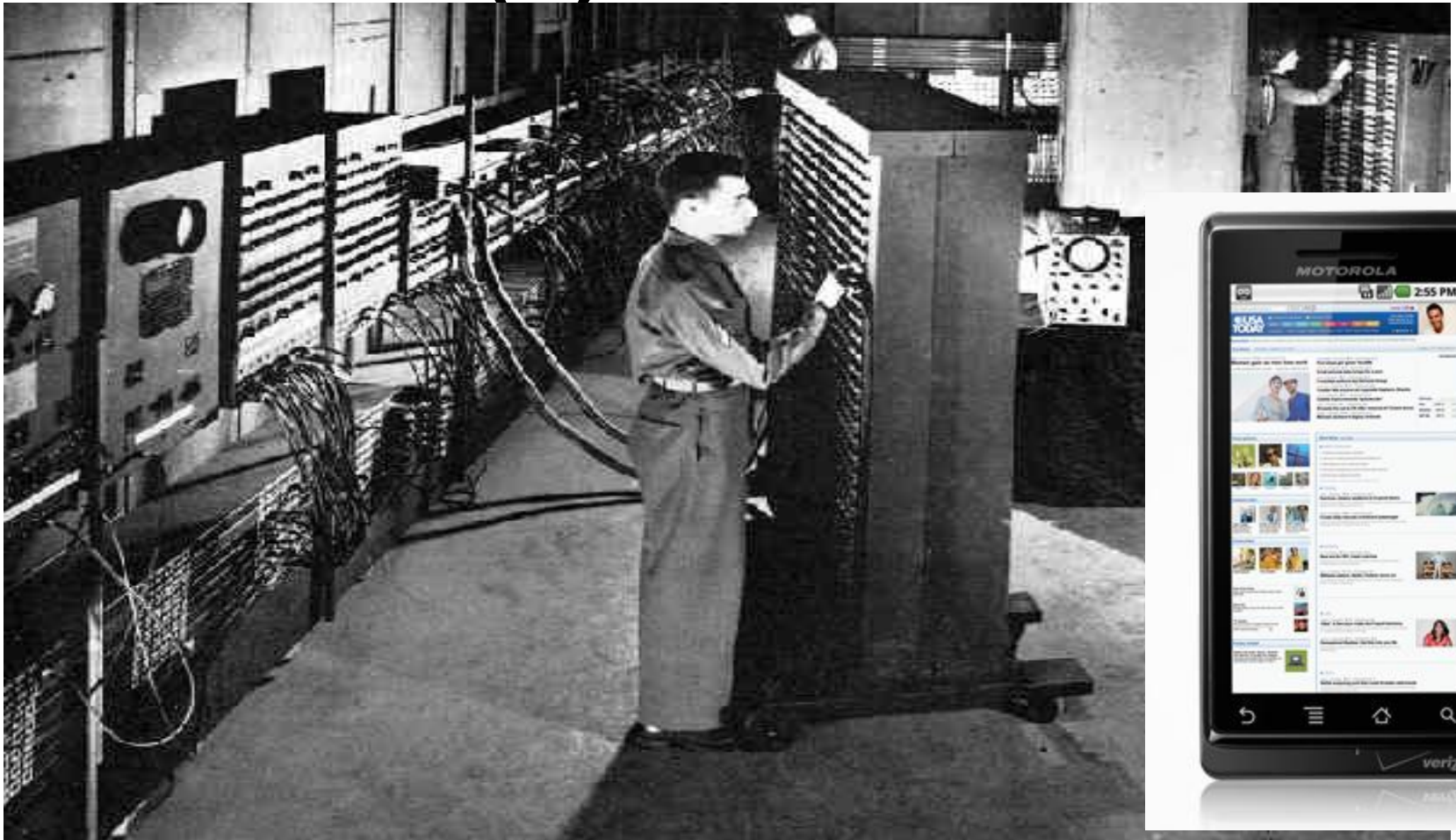
Keerpunten in de Informatica

HOVO, 12 oktober 2011

Frits Vaandrager

**Institute for Computing and Information Sciences
Radboud Universiteit Nijmegen**

Computing Technology (R)Evolution



1946

2010



Canon



Economic Impact

amazon.com



ORACLE



NVIDIA



Google



SanDisk



YAHOO!

Microsoft



at&t



ARROW ELECTRONICS, INC.



Adobe



XEROX



TANDEM COMPUTERS



Sprint



MOTOROLA



Alcatel-Lucent



QUALCOMM



Social Impact

Intuit



iRobot

NETFLIX

twitter

ebay

facebook

Linked in

skype

liveHarmony



WIKIPEDIA
The Free Encyclopedia

flickr BLOG



Nintendo



You Tube
Broadcast Yourself

travelocity

XING

EXTRADE
FINANCIAL

OnlineGames.net
THE FUN NEVER STOPS!

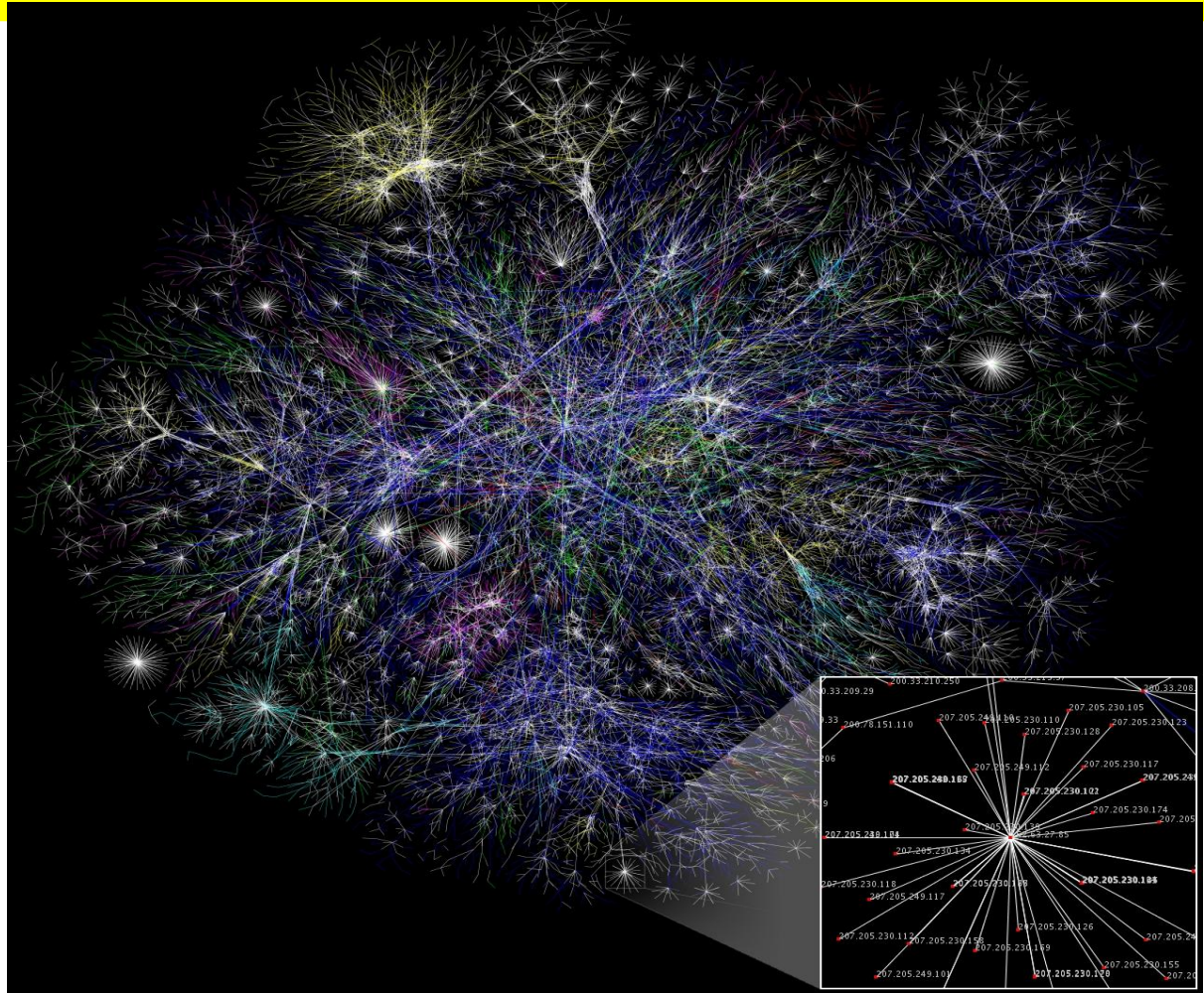
Shopping.com

BETA
GuildCafe

match.com
love is complicated. match is simple.



Layers of Abstraction



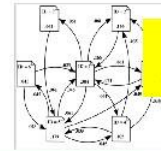
Search



Natural Language Processing,
Text and Information
Retrieval, User Interfaces

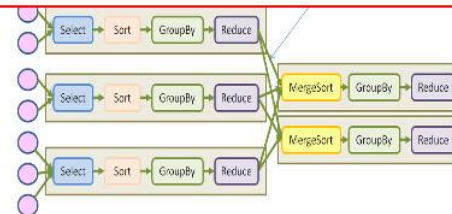
PageRank

$$PR(u) = \sum_{v \in B_u} \frac{PR(v)}{L(v)}$$



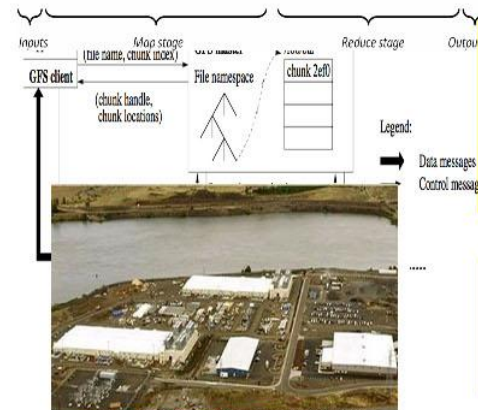
Algorithms, Data Structures

MapReduce



Programming Languages,
Software Engineering

GFS, BigTable, Chubby

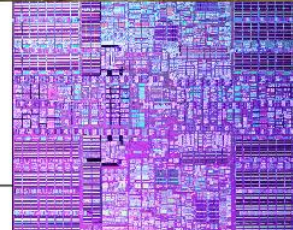


Reliability, File Systems,
Operating Systems, Consensus

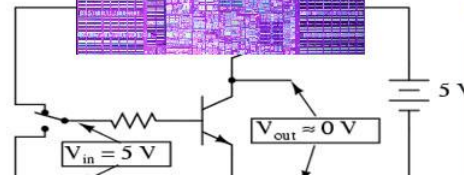
Server Farm



Distributed Systems, Networking,
Storage Systems



Computer Architecture, Parallel
Computing



Electronics, Digital Circuits, Signal
Processing

Drivers of Computing



Society

Science

Technology

- What is computable?
- $P = NP$?
- What is intelligence?
- What is information?
- (How) can we build complex systems simply?



Scientific Turning Points?

- **Numerous great scientific results in Computer Science**
- **Computer Science has been extremely effective in combining results to create a powerful technology**
- **Scientific turning points???**
- **Computer Science good example of great science without major turning points**
- **OK, one maybe: Turing**

ALAN MATHISON TURING

1912-1954



Father of Computer Science

- ◆ PIONEER OF COMPUTER SCIENCE
- ◆ HIS IDEAS WERE VERY ADVANCED FOR THE TECHNOLOGY OF HIS TIME
- ◆ ONE OF THE FIRST TO BELIEVE IN ARTIFICIAL INTELLIGENCE

Turing's Childhood



Born: June 23, 1912
in London England

- ◆ Second son to Julius Mathison Turing and Ethel Sara Stoney
- ◆ Spent childhood in foster households while parents lived in India
- ◆ Was not seen as a good student by teachers

SCHOOLING

“He refused to adapt and ignored subjects that did not interest him.” BBC News, 1999.

“His genius drove him in his own direction rather than those required by his teachers.” The History of Computing Projects, 2006.

- **At age 13 enrolled in Sherbourne School**
- **After two failed attempts, earned a fellowship at King’s College in Cambridge**



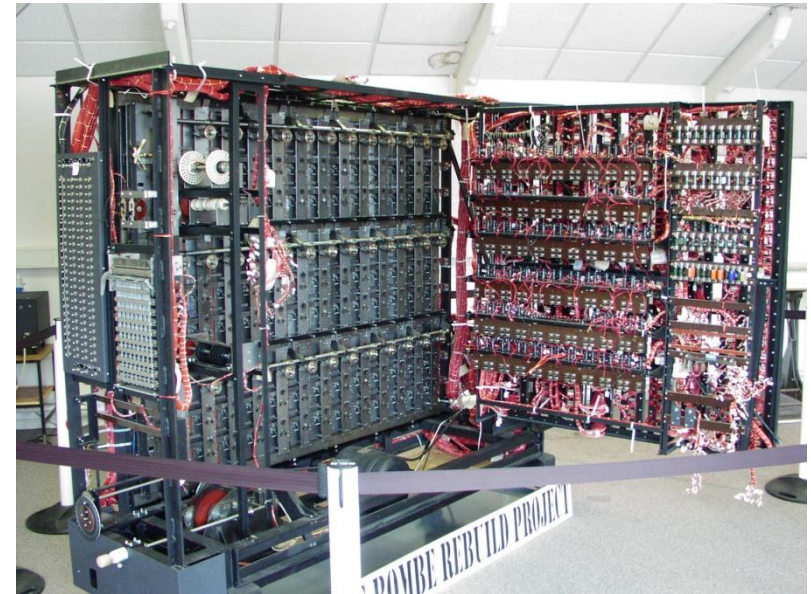
The Turing Machine

“The concept of the Turing Machine has become the foundation of the modern theory of computation and computability”

- ◆ **Turing’s idea for the Turing Machine was years ahead of the technology needed to build the machine**
- ◆ **He wrote about the Turing Machine in 1936 in his paper, *On Computable Numbers***
- ◆ **This was the first digital computer programme and brought together the logical and physical world**

BREAKING THE CODE

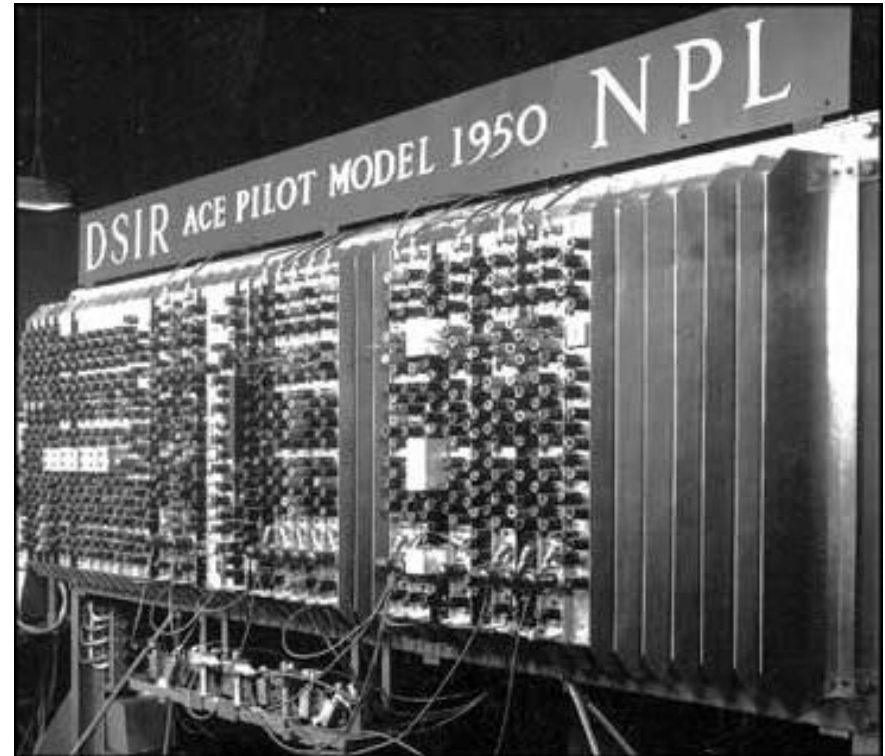
- ◆ Worked for the British Code and Cypher School during WWII
- ◆ Helped construct a machine, the Bombe, with W.G. Welchman to break the encrypted code Germans were communicating with
- ◆ Credited for saving many lives and helping Britain win the war



A replica of the Bombe

Constructing the Machine

After the war Turing was invited to the British National Physical Lab where he thought he would have the opportunity to build the Automatic Computing Engine, based on his Turing machine idea. Construction was halted though and Turing went to the University of Manchester



Pilot Model of the ACE

TURING TEST



◆ ONE OF THE FIRST TO BELIEVE IN ARTIFICIAL INTELLIGENCE

- ◆ a machine can mimic the human brain

- ◆ Many people did not want to believe a machine could do the same thing as a human

◆ TURING TEST- A PERSON ASKED QUESTIONS ON A KEYBOARD TO A PERSON AND A MACHINE, IF THEY COULD NOT TELL THE DIFFERENCE AFTER SOME TIME THE MACHINE WAS CONSIDERED INTELLIGENT

Last Days

- ◆ Work on mathematical biology
- ◆ Arrested in 1952 for being homosexual
- ◆ Instead of jail time, Turing had female hormones injected into him
- ◆ On June 4, 1954 Turing committed suicide by lacing an apple with potassium cyanide

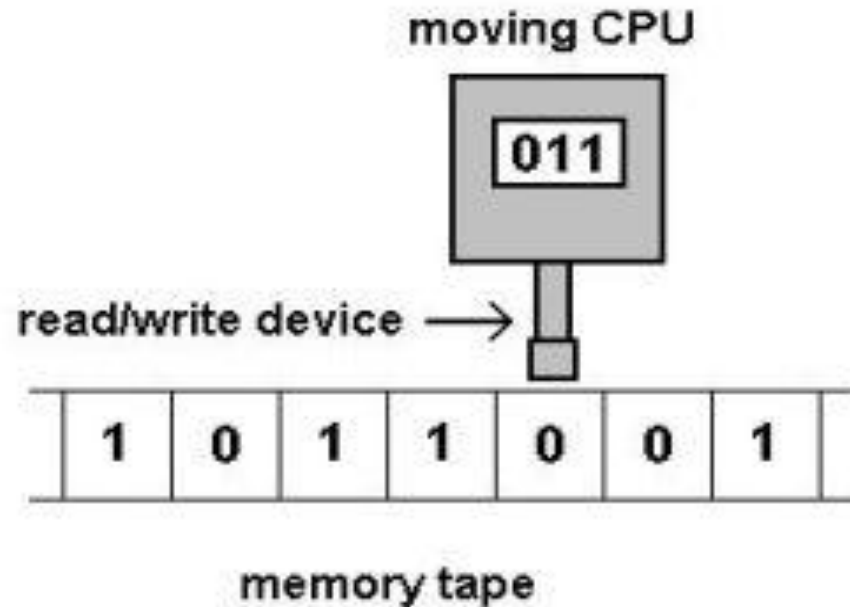


Legacy of Turing



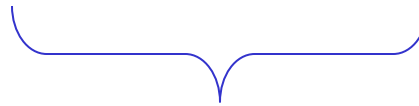
- ◆ Today it would be hard to imagine life without computers. It is thanks to Turing's work that we have been able to develop this technology!
- ◆ “Everyone who taps at a keyboard, opens a spreadsheet or word processing program, is working on an incarnation of a Turing machine” (Gray, 1999).
- ◆ On 10 September 2009 Prime Minister Gordon Brown apologized for the way in which Turing was treated after the war. 18

The Turing Machine



A limitation of Turing Machines:

Turing Machines are “hardwired”



they execute
only one program

Real Computers are re-programmable

Solution: Universal Turing Machine

Attributes:

- Reprogrammable machine
- Simulates any other Turing Machine

Universal Turing Machine

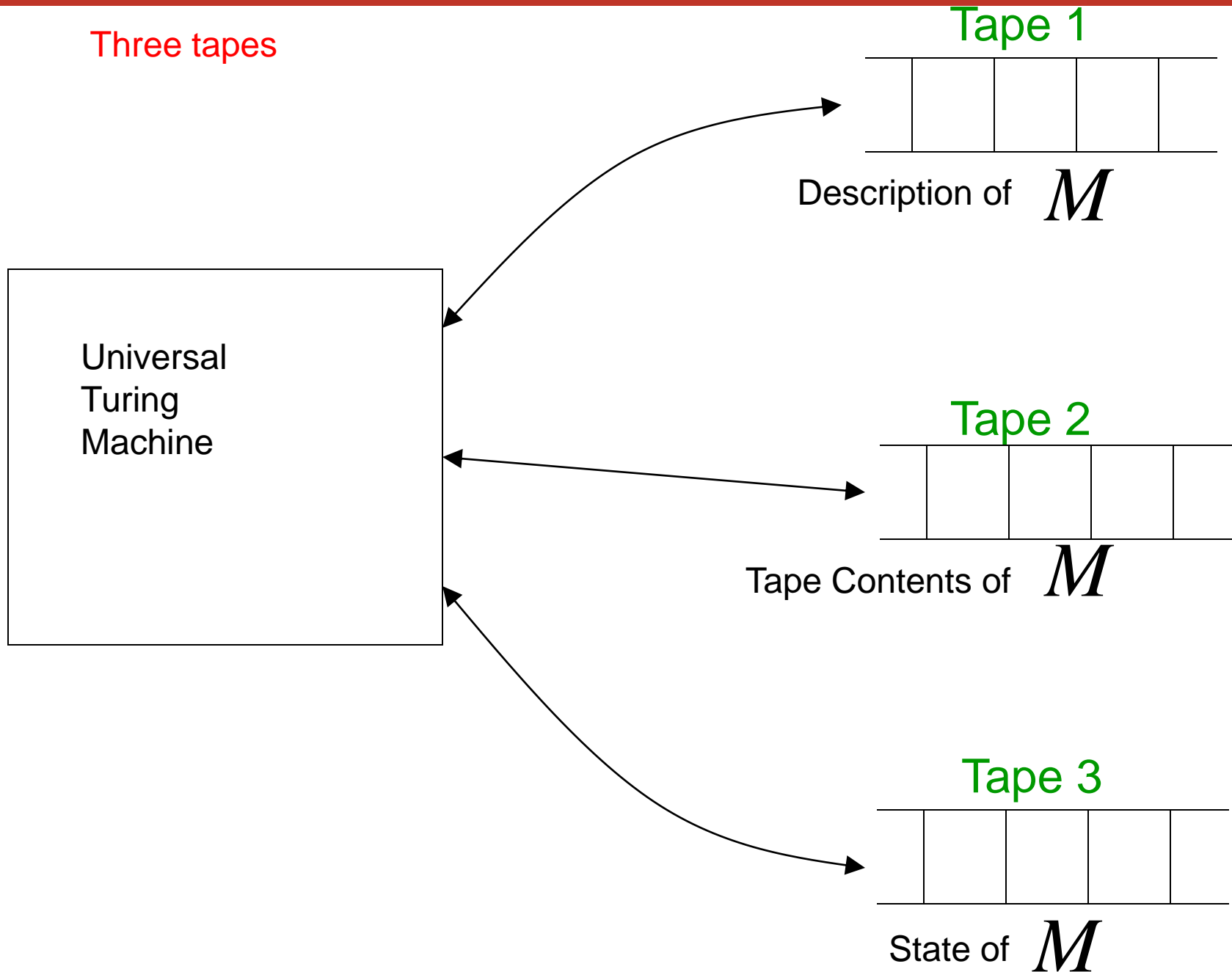
simulates any other Turing Machine M

Input of Universal Turing Machine:

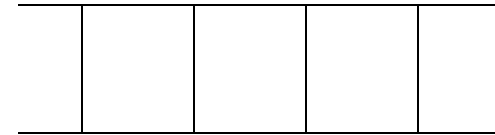
Description of transitions of M

Initial tape contents of M

Three tapes



Tape 1



Description of

M

We describe Turing machine M
as a string of symbols:

We encode M as a string of symbols

Alphabet Encoding

Symbols:

a

b

c

d

...



Encoding:

1

11

111

1111

States:

q_1

q_2

q_3

q_4

\dots



Encoding:

1

11

111

1111

Head Move Encoding

Move:

L

R



Encoding:

1

11

Transition Encoding

Transition:

$$\delta(q_1, a) = (q_2, b, L)$$

Encoding:

10101101101

separator

Machine Encoding

Transitions:

$$\delta(q_1, a) = (q_2, b, L)$$

$$\delta(q_2, b) = (q_3, c, R)$$

Encoding:

1 0 1 0 1 1 0 1 1 0 1 0 0 1 1 0 1 1 0 1 1 1 0 1 1 1 0 1 1

separator

The halting problem

Does program number x halt on input of x ?

$$h(x) \equiv \begin{cases} 0 & \text{if program } x \text{ halts on input } x \\ 1 & \text{otherwise} \end{cases}$$

Is there an algorithm to solve the halting problem, that is, to compute $h(x)$?

~~Suppose such an algorithm exists.~~

Let T be the program number for TURING.

PROGRAM: TURING(x)

```
IF  $h(x) = 1$  THEN
  HALT
ELSE
  loop forever
```

Contradiction!

$h(T) = 0$



TURING(T) halts



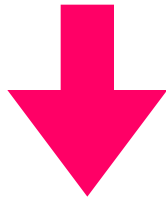
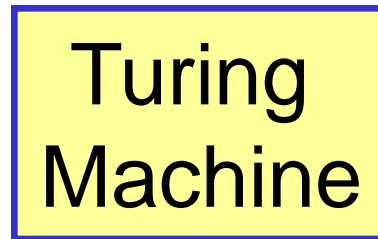
$h(T) = 1$



Q: Is there a general algorithm to determine whether a mathematical conjecture is true or false?



Church-Turing:
NO!



Computer science

Ad hoc empirical justification!

Church-Turing thesis: Any algorithmic process can be simulated on a **Turing machine**

Literatuur

<http://www.turing.org.uk/book/>

